

Each person records their own data and calculations.

Name: \_\_\_\_\_

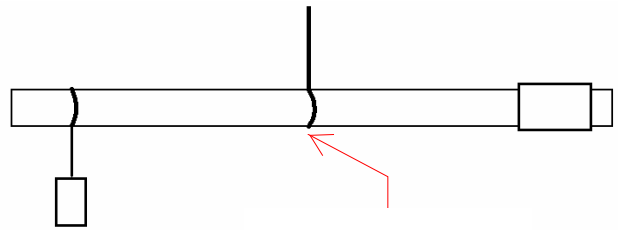
Date: \_\_\_\_\_ Period: \_\_\_\_\_



**Purpose:** To use balanced torques to find the center of gravity of a mass loaded meter stick.

**Materials/ Apparatus:**

Given this lab set-up, label  $F_1$ ,  $F_2$ ,  $d_1$ ,  $d_2$ , the Center of Gravity (CG), and the fulcrum (f).



$$\Sigma T = 0 Nm$$

$$F_1 d_1 = F_2 d_2$$

Hint: Something's force of gravity acts at its center of mass!

**NOTE! MEASURE EVERYTHING TO THE NEAREST 0.1 CM AND RECORD FORCES TO THE NEAREST 0.01 N.**

**Procedure:**

1. **Weigh** the mass loaded meter stick. **Record** above data table.  $F_2$
2. **Suspend** the meter stick and hang a known weight,  $F_1$ , at a random point on the unloaded end.
3. **Slide** the fulcrum along the meter stick until it *balances*. The meter stick *is not balanced* until it is completely level and does not torque (spin).
4. **Record** the value of  $F_1$ , the position of  $F_1$ , and the position of the fulcrum for Trial 1 in the table.
5. Use simple subtraction to **calculate**  $d_1$  (distance from  $F_1$  to the fulcrum) and record in the table. (*for example:* if the fulcrum is at 30 cm and  $F_1$  is at 21 cm,  $d_1$  is 9 cm)
6. Use the Torque equation listed above to **calculate** what  $d_2$  (distance from the Center of Gravity to the fulcrum) for Trial 1 and record in the table.
7. Use simple addition to **calculate** the position of the Center of Gravity for Trial 1 and record it in the table. (*for example:* if the fulcrum is at 30 cm and  $d_2$  is 5.5 cm, the Center of gravity is at 35.5 cm on the meter stick)
8. Repeat steps #2-7 with a different hanging mass or different location. Record this data as Trial 2 in the table.
9. Repeat steps #2-7 with a different hanging mass or different location. Record this data as Trial 3 in the table.
10. Find the average calculated position of the Center of Gravity for the three trials and record.
11. Determine the actual Center of Gravity of the meter tick by balancing it directly with no additional hanging mass. Record it in the table.
12. Calculate the percent error between the actual (experimental) Center of Gravity you found in calculated (theoretical) Center of Gravity.

$F_2 =$  \_\_\_\_\_ N

	<b>TRIAL 1</b>	<b>TRIAL 2</b>	<b>TRIAL 3</b>	<b>TRIAL 4</b>
Hanging weight ( $F_1$ )				
Position of $F_1$				
Position of Fulcrum				
Distance from $F_1$ to fulcrum ( $d_1$ )				
Distance from CG to fulcrum ( $d_2$ )				
Calculated position of CG				

Average calculated Position of Center of Gravity: \_\_\_\_\_ cm

**Actual** balance point (Center of Gravity) of mass loaded meter stick: \_\_\_\_\_ cm

Show at least one  $d_2$  calculation below:

$$d_2 = \frac{F_1 d_1}{F_2} = \text{_____} =$$

Show your percent Error Calculation below:

$$\%Error = \frac{CG_{Actual} - CG_{Calculated}}{CG_{Actual}} \times 100 = \text{_____} =$$

**Questions:**

1. I believe some causes to our error were: *(list at least three possible errors in complete sentences)*

2. A loaded meter stick, such as was used in your lab, is balanced on a fulcrum by hanging an additional weight from it and adjusting the position of the fulcrum. Calculate the *distance* from the fulcrum to the center of gravity. The following data is given:

DATA:

- Hanging weight = 2.0 N
- Weight of loaded meter stick = 3.5 N  
*(without hanging weight)*

- Position of hanging weight = 7.5 cm
- Position of fulcrum = 42.5 cm